

## **Estimation of Partial Linear Error-in-Variables Models for Negatively Associated Dependence Data**

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### **Abstract**

Consider the partly linear regression model  $Y = x\beta + g(t) + e$  where the explanatory  $x$  is erroneously measured, and both  $t$  and the response  $Y$  are measured exactly, the random error  $e$  is negatively associated dependent. Let  $\tilde{x}$  be a surrogate variable observed instead of the true  $x$  in the primary survey data. Assume that in addition to the primary data set containing  $N$  observations of  $\{(Y_j, \tilde{x}_j, t_j)_{j=n+1}^{n+N}\}$ , which is negatively associated data sets, an independent validation data containing  $n$  observations of  $\{(x_j, \tilde{x}_j, t_j)_{i=1}^n\}$  is available. The exact observations on  $x$  may be obtained by some expensive or difficult procedures for only a small subset of subjects enrolled in the study. In this paper, a semiparametric method with the primary data is employed to obtain the estimators of  $\beta$  and  $g(\cdot)$  based on the least squares criterion with the help of validation data. The proposed estimators are proved to be strongly consistent.

*Keywords:* Partial Linear Model, Validation Data, Negatively Associated Dependent, Strong Consistency.